

Security APIs

System Security (CM0625, CM0631) 2024-25
Università Ca' Foscari Venezia

Riccardo Focardi

www.unive.it/data/persone/5590470
secgroup.dais.unive.it



Security APIs

Host machine



Trusted device



Security API

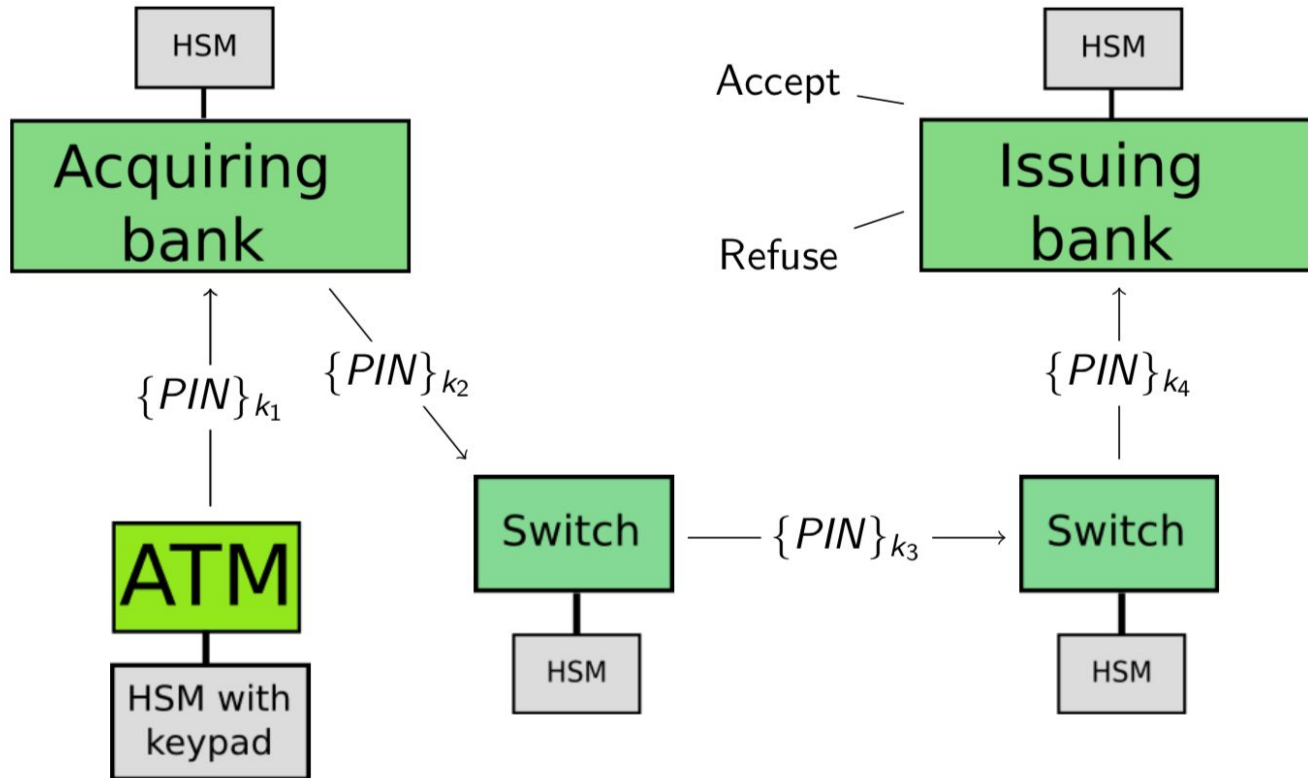
Case study 1: PIN verification

Hardware Security Modules (HSM)

- Used in the ATM Bank network
- Tamper resistant
- Offer APIs for:
 - Managing cryptographic keys
 - Decrypting/re-encrypting the PIN
 - Checking the validity of the PIN



PIN verification infrastructure (old protocol)



PIN verification

Encrypted PIN Block : contains the PIN at the ATM

PIN_V(EPB , vdata, len, dectab, offset)

Data for computing the user PIN

Example: PIN_V({4104,r}_k, vdata, 4, 0123456789012345, 4732)

1. $\text{dec}_k(\{4104,r\}_k) = 4104,r$

4104

2. $\text{enc}_{pdk}(vdata) = A47295FDE32A48B1$

$0472 \oplus 4732 \text{ mod } 10 = 4104$

3. The two values coincide: PIN_V returns 'true'

PIN verification pseudo-code

```
PIN V(EPB, vdata, len, dectab, offset) {  
    x1 := dec(k, EPB); // decrypt the typed PIN  
    t_pin := fcheck(x1); // check format, remove random  
    if (t_pin = ⊥) then return('format wrong');  
  
    x2 := encpdk(vdata); // encrypt vdata  
    x3 := left(len, x2); // take left 4-5 hex digits  
    x4 := decimalize(dectab, x3); // decimalize digits  
    u_pin := sum_mod10(x4, offset); // sum offset  
  
    if (t_pin == u_pin) then return('PIN is correct');  
}
```

Decimalization attack [Bond, Zielinski '03]

Example: $\text{PIN}_V(\{4104, r\}_k, \text{vdata}, 4, 0123456789012345, 4732)$

1. $\text{dec}_k(\{4104, r\}_k) = 4104, r$
4104
2. $\text{enc}_{pdk}(\text{vdata}) = \text{A47295FDE32A48B1}$
 $0472 \oplus 4732 \text{ mod } 10 = 4104$
3. PIN_V returns 'true'

Decimalization attack [Bond, Zielinski '03]

Example: $\text{PIN}_V(\{4104, r\}_k, \text{vdata}, 4, 0123456789012345, 4732)$

- $\text{dec}_k(\{4104, r\}_k) = 4104, r$
 4104
 - $\text{enc}_{pdk}(\text{vdata}) = \text{A47295FDE32A48B1}$
 $0472 \oplus 4732 \bmod 10 = 4104$
 - PIN_V returns 'true'
- Change one digit of dectab

Decimalization attack [Bond, Zielinski '03]

Example: $\text{PIN}_V(\{4104, r\}_k, \text{vdata}, 4, 1123456789112345, 4732)$

1. $\text{dec}_k(\{4104, r\}_k) = 4104, r$
4104

1. Change one digit of dectab

2. $\text{enc}_{pdk}(\text{vdata}) = \text{A47295FDE32A48B1}$
 $0472 \oplus 4732 \text{ mod } 10 = 4104$

3. PIN_V returns 'true'

Decimalization attack [Bond, Zielinski '03]

Example: $\text{PIN}_V(\{4104, r\}_k, \text{vdata}, 4, \boxed{1}123456789\boxed{1}12345, 4732)$

1. $\text{dec}_k(\{4104, r\}_k) = 4104, r$
4104

2. $\text{enc}_{pdk}(\text{vdata}) = \boxed{A}47295FDE32A48B1$
 $\boxed{0}472 \oplus 4732 \text{ mod } 10 = 4104$

3. PIN_V returns 'true'

1. Change one digit of dectab
2. This propagates ...

Decimalization attack [Bond, Zielinski '03]

Example: $\text{PIN}_V(\{4104, r\}_k, \text{vdata}, 4, \boxed{1}123456789\boxed{1}12345, 4732)$

1. $\text{dec}_k(\{4104, r\}_k) = 4104, r$
4104

2. $\text{enc}_{pdk}(\text{vdata}) = \boxed{A}47295FDE32A48B1$
 $\boxed{1}472 \oplus 4732 \bmod 10 = 4104$

3. PIN_V returns 'true'

1. Change one digit of dectab
2. This propagates ...

Decimalization attack [Bond, Zielinski '03]

Example: $\text{PIN}_V(\{4104, r\}_k, \text{vdata}, 4, \boxed{1}123456789\boxed{1}12345, 4732)$

1. $\text{dec}_k(\{4104, r\}_k) = 4104, r$
4104

2. $\text{enc}_{pdk}(\text{vdata}) = \boxed{A}47295FDE32A48B1$
 $\boxed{1}472 \oplus 4732 \bmod 10 = \boxed{4}104$

3. PIN_V returns 'true'

1. Change one digit of dectab
2. This propagates ...

Decimalization attack [Bond, Zielinski '03]

Example: $\text{PIN}_V(\{4104, r\}_k, \text{vdata}, 4, \boxed{1}123456789\boxed{1}12345, 4732)$

1. $\text{dec}_k(\{4104, r\}_k) = 4104, r$
4104

2. $\text{enc}_{pdk}(\text{vdata}) = \boxed{A}47295FDE32A48B1$
 $\boxed{1}472 \oplus 4732 \text{ mod } 10 = \boxed{5}104$

3. PIN_V returns 'true'

1. Change one digit of dectab
2. This propagates ...

Decimalization attack [Bond, Zielinski '03]

Example: $\text{PIN}_V(\{4104, r\}_k, \text{vdata}, 4, \boxed{1}123456789\boxed{1}12345, 4732)$

1. $\text{dec}_k(\{4104, r\}_k) = 4104, r$
4104

2. $\text{enc}_{pdk}(\text{vdata}) = \boxed{A}47295FDE32A48B1$
 $\boxed{1}472 \oplus 4732 \text{ mod } 10 = \boxed{5}104$

3. PIN_V returns 'true'

1. Change one digit of dectab
2. This propagates ...

Decimalization attack [Bond, Zielinski '03]

Example: $\text{PIN}_V(\{4104, r\}_k, \text{vdata}, 4, \boxed{1}123456789\boxed{1}12345, 4732)$

1. $\text{dec}_k(\{4104, r\}_k) = 4104, r$

4104

2. $\text{enc}_{pdk}(\text{vdata}) = \boxed{A}47295FDE32A48B1$

$\boxed{1}472 \oplus 4732 \bmod 10 = \boxed{5}104$

3. PIN_V returns 'false'

1. Change one digit of dectab
2. This propagates ...
3. ... and eventually changes the result!

Decimalization attack [Bond, Zielinski '03]

Example: $\text{PIN}_V(\{4104, r\}_k, \text{vdata}, 4, 1123456789112345, 4732)$

1. $\text{dec}_k(\{4104, r\}_k) = 4104, r$

4104

2. $\text{enc}_{pdk}(\text{vdata}) = \text{A47295FDE32A48B1}$

$1472 \oplus 4732 \bmod 10 = 5104$

3. PIN_V returns 'false'

1. Change one digit of dectab
2. This propagates ...
3. ... and eventually changes the result!

⇒ We know that 0 appeared in the PIN computation

Decimalization attack [Bond, Zielinski '03]

Example: $\text{PIN}_V(\{4104, r\}_k, \text{vdata}, 4, 1123456789112345, 4732)$

1. $\text{dec}_k(\{4104, r\}_k) = 4104, r$

4104

2. $\text{enc}_{pdk}(\text{vdata}) = \text{A47295FDE32A48B1}$

$1472 \oplus 4732 \text{ mod } 10 = 5104$

3. PIN_V returns 'false'

1. Change one digit of dectab
2. This propagates ...
3. ... and eventually changes the result!

⇒ We know that 0 appeared in the PIN computation

1. We “compensate” on the offset to find the position

Decimalization attack [Bond, Zielinski '03]

Example: PIN_V({4104,r}_k, vdata, 4, 1123456789112345, 3732)

1. $\text{dec}_k(\{4104,r\}_k) = 4104,r$

4104

2. $\text{enc}_{pdk}(vdata) = \text{A47295FDE32A48B1}$

1472 \oplus 4732 mod 10 = 5104

3. PIN_V returns 'false'

1. Change one digit of dectab
2. This propagates ...
3. ... and eventually changes the result!

⇒ We know that 0 appeared in the PIN computation

1. We “compensate” on the offset to find the position

Decimalization attack [Bond, Zielinski '03]

Example: $\text{PIN}_V(\{4104, r\}_k, \text{vdata}, 4, 1123456789112345, 3732)$

1. $\text{dec}_k(\{4104, r\}_k) = 4104, r$

4104

2. $\text{enc}_{pdk}(\text{vdata}) = \text{A47295FDE32A48B1}$

$1472 \oplus 4732 \text{ mod } 10 = 5104$

3. PIN_V returns 'false'

1. Change one digit of dectab
2. This propagates ...
3. ... and eventually changes the result!

⇒ We know that 0 appeared in the PIN computation

1. We “compensate” on the offset to find the position

Decimalization attack [Bond, Zielinski '03]

Example: $\text{PIN}_V(\{4104, r\}_k, \text{vdata}, 4, 1123456789112345, 3732)$

1. $\text{dec}_k(\{4104, r\}_k) = 4104, r$

4104

2. $\text{enc}_{pdk}(\text{vdata}) = \text{A47295FDE32A48B1}$

$1472 \oplus 3732 \bmod 10 = 5104$

3. PIN_V returns 'false'

1. Change one digit of dectab
2. This propagates ...
3. ... and eventually changes the result!

⇒ We know that 0 appeared in the PIN computation

1. We “compensate” on the offset to find the position

Decimalization attack [Bond, Zielinski '03]

Example: $\text{PIN}_V(\{4104, r\}_k, \text{vdata}, 4, \boxed{1}123456789\boxed{1}12345, \boxed{3}732)$

1. $\text{dec}_k(\{4104, r\}_k) = 4104, r$

4104

2. $\text{enc}_{pdk}(\text{vdata}) = \boxed{A}47295FDE32A48B1$

$\boxed{1}472 \oplus \boxed{3}732 \bmod 10 = \boxed{5}104$

3. PIN_V returns 'false'

1. Change one digit of dectab
2. This propagates ...
3. ... and eventually changes the result!

⇒ We know that 0 appeared in the PIN computation

1. We “compensate” on the offset to find the position

Decimalization attack [Bond, Zielinski '03]

Example: $\text{PIN}_V(\{4104, r\}_k, \text{vdata}, 4, 1123456789112345, 3732)$

1. $\text{dec}_k(\{4104, r\}_k) = 4104, r$

4104

2. $\text{enc}_{pdk}(\text{vdata}) = \text{A47295FDE32A48B1}$

$1472 \oplus 3732 \bmod 10 = 4104$

3. PIN_V returns 'false'

1. Change one digit of dectab
2. This propagates ...
3. ... and eventually changes the result!

⇒ We know that 0 appeared in the PIN computation

1. We “compensate” on the offset to find the position
2. ... and we see if this fixes the result!

Decimalization attack [Bond, Zielinski '03]

Example: $\text{PIN}_V(\{4104, r\}_k, \text{vdata}, 4, \text{1123456789112345}, \text{3732})$

1. $\text{dec}_k(\{4104, r\}_k) = 4104, r$

4104

2. $\text{enc}_{pdk}(\text{vdata}) = \text{A47295FDE32A48B1}$

$\text{1472} \oplus \text{3732} \bmod 10 = \text{4104}$

3. PIN_V returns 'true'

1. Change one digit of dectab
2. This propagates ...
3. ... and eventually changes the result!

⇒ We know that 0 appeared in the PIN computation

1. We “compensate” on the offset to find the position
2. ... and we see if this fixes the result!

⇒ If so we discover value and position!

Decimalization attack [Bond, Zielinski '03]

This attack has been shown on real devices

- An insider sniffs ATM card data, launches the attack and infers the PIN
 - **How many invocations** on average?
 - Four digit PINs: 14.47
 - Five digit PINs: 19.3
 - Strategies found automatically in [Focardi, Luccio '10]
 - Once the PIN is found (old) cards can be cloned
- ⇒ Thousand of PINs leaked in a lunch break!

NOTE: in countries where the chip cards are not yet widely used the attack would still work

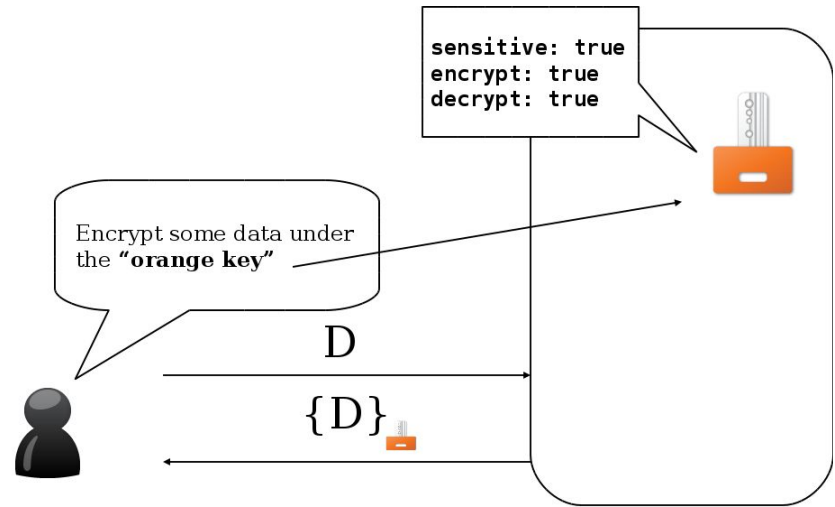
Case study 2: PKCS#11

PKCS#11 cryptographic operations

PKCS#11 is a standard API to cryptographic devices

Keys have **attributes** and are referenced via **handles** (that we represent with colors)

Example: orange key is sensitive and can be used to encrypt/decrypt data



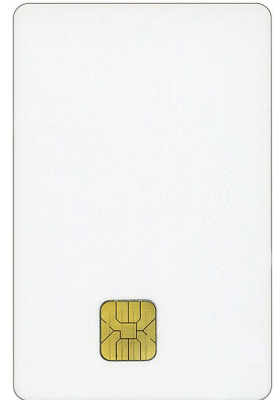
Security of keys

Confidentiality of sensitive keys

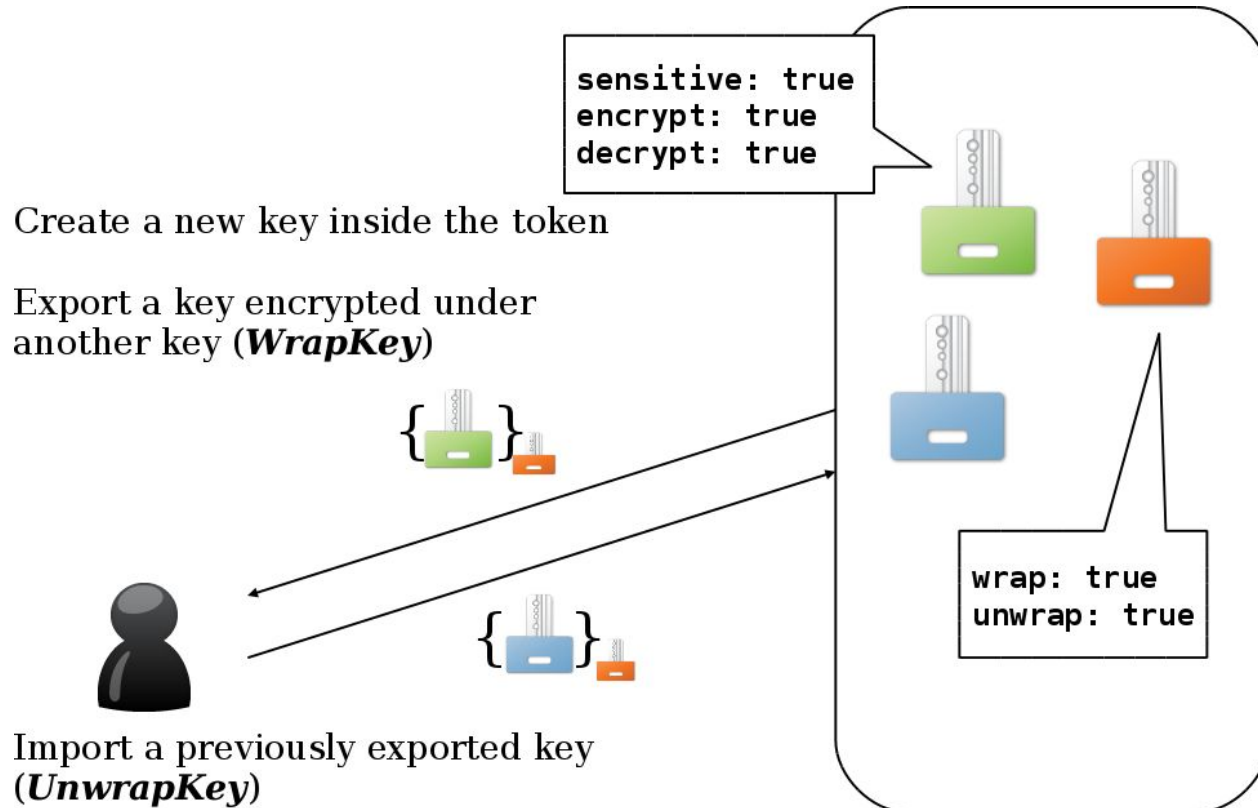
- sensitive keys should never be **accessible as plaintext** outside the device
- all crypto operations happen inside the device

Attack scenario

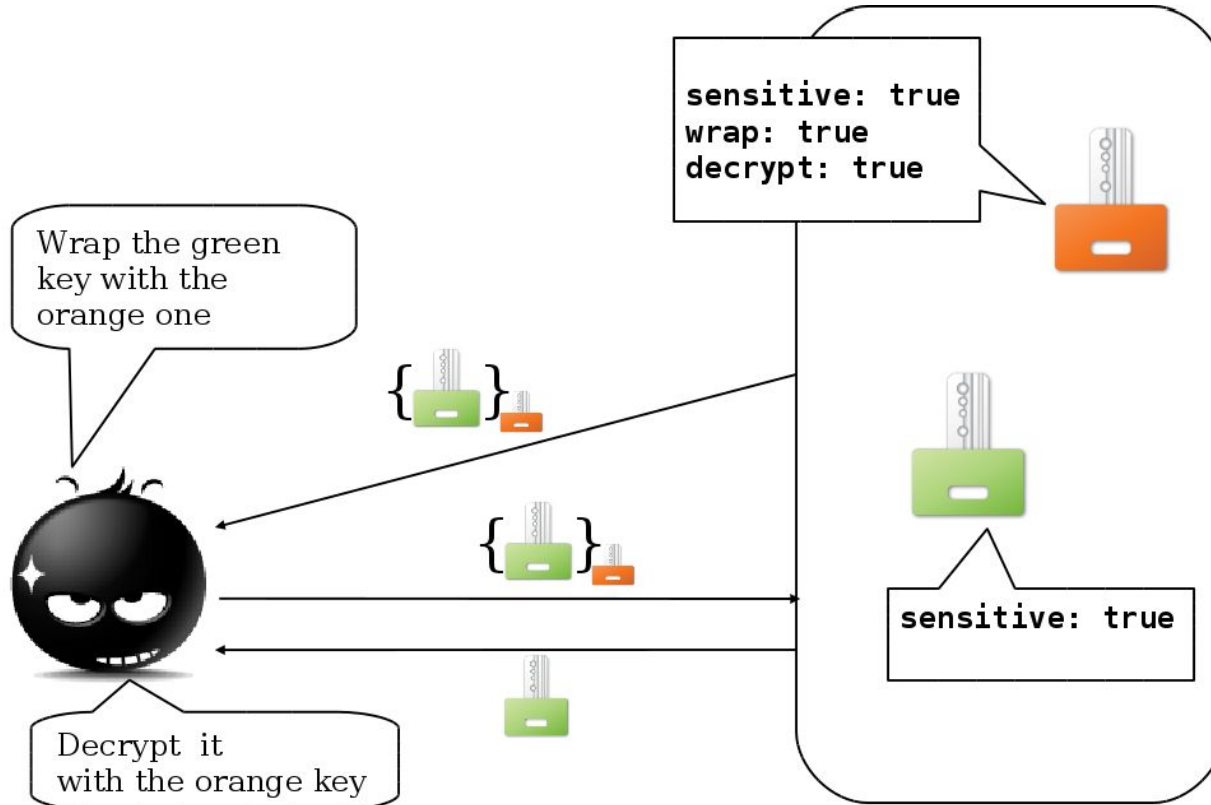
1. the device is used on compromised host
2. the attacker extracts sensitive keys
3. the attacker **clones the device**



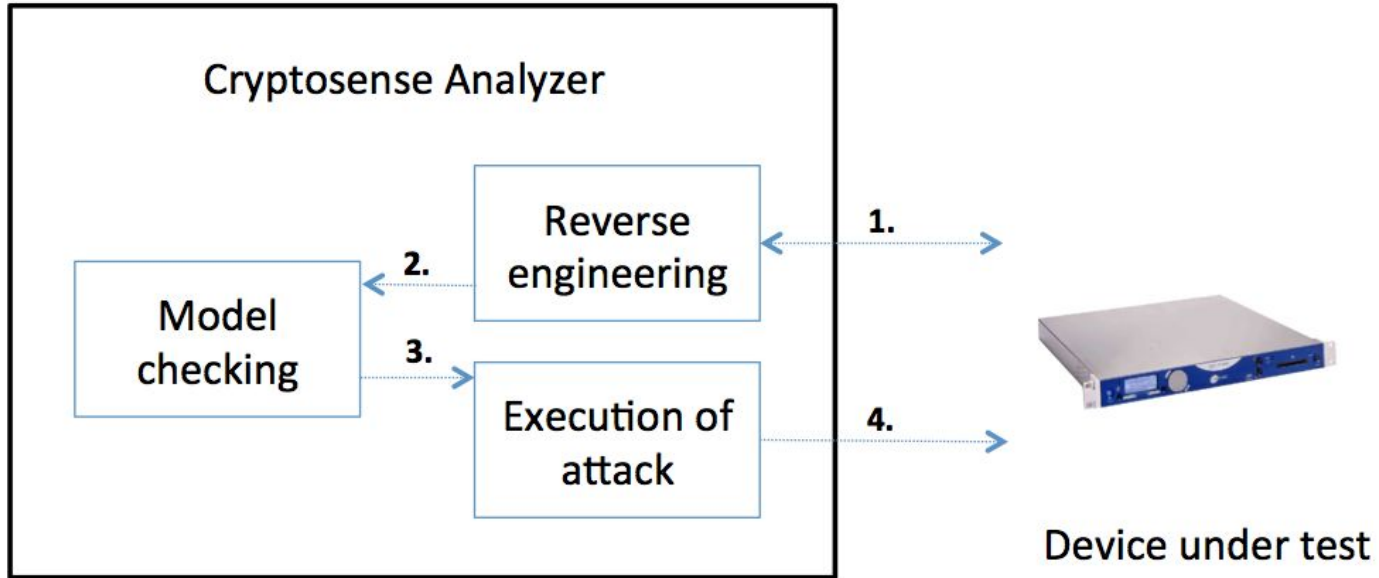
Key management example



The *wrap-and-decrypt* attack [CHES'03]



Formal verification



Real attacks [ACM CCS'10]

Brand	Device Model	Supported Functionality						Attacks found				Tk
		s	as	cobj	chan	w	ws	wd	rs	ru	su	
Aladdin	eToken PRO	✓	✓	✓	✓	✓	✓					wd
Athena	ASEKey	✓	✓	✓								
Bull	Trustway RCI	✓	✓	✓	✓	✓	✓					wd
Eutron	Crypto Id. ITSEC		✓	✓								
Feitian	StorePass2000	✓	✓	✓	✓	✓	✓	✓	✓	✓		rs
Feitian	ePass2000	✓	✓	✓	✓	✓	✓	✓	✓	✓		rs
Feitian	ePass3003Auto	✓	✓	✓	✓	✓	✓	✓	✓	✓		rs
Gemalto	SEG		✓		✓							
MXI	Stealth MXP Bio	✓	✓		✓							
RSA	SecurID 800	✓	✓	✓	✓				✓	✓	✓	rs
SafeNet	iKey 2032	✓	✓	✓		✓						
Sata	DKey	✓	✓	✓	✓	✓	✓	✓	✓	✓	✓	rs
ACS	ACOS5	✓	✓	✓	✓							
Athena	ASE Smartcard	✓	✓	✓								
Gemalto	Cyberflex V2	✓	✓	✓		✓	✓	✓				wd
Gemalto	SafeSite V1		✓		✓							
Gemalto	SafeSite V2	✓	✓	✓	✓	✓	✓	✓	✓	✓		rs
Siemens	CardOS V4.3 B	✓	✓	✓		✓				✓		ru



PKCS#11 is still flawed after 20+ years !?!

Fixes?

Fixes: Various proposals in the literature to modify the API, but never included in PKCS#11

⇒ Proprietary fixes exist but break compliance

Example: offline key management and **no key wrapping** in production

Mitigations: monitor/filter API calls **locally**

wrap_with_trusted attribute requires that keys are only wrapped under **trusted** keys (flagged by the Security Officer)

👍 Secure key wrapping, *in principle*

⚠️ No guidance in the docs

⚠️ How should **trusted** keys be generated/managed?

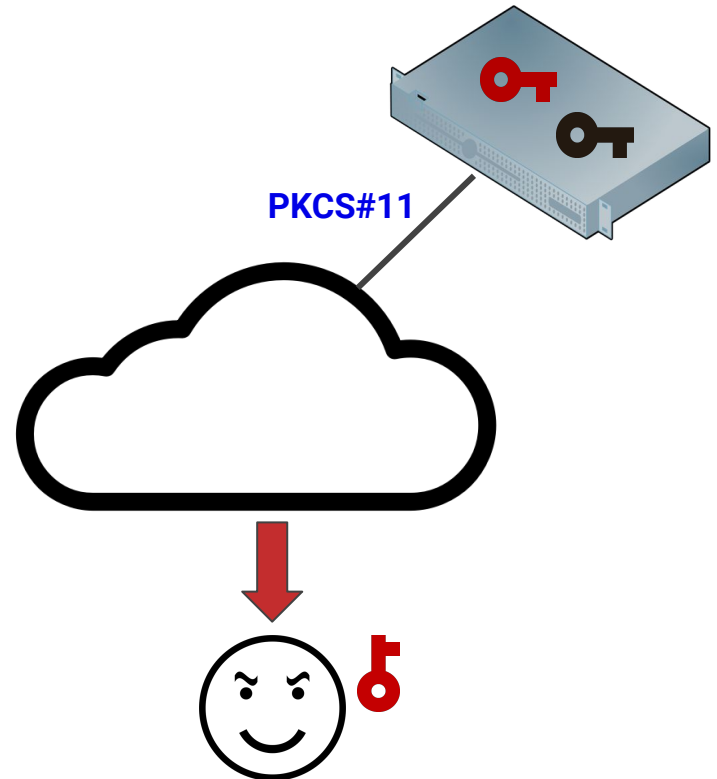
⚠️ What if a **trusted** key is flagged **wrap+decrypt**?

A new scenario: cloud HSMs

HSM hardware accessible as a service in the cloud

- Compliance to standard APIs: no proprietary fixes
- No offline, secure key management procedures
- No API-level monitors/filters

New attacker model: a vulnerability in one application would expose the full (flawed!) PKCS#11 API



A formally verified configuration

Focardi & Luccio
ACM CCS'21

- User **roles** to secure PKCS#11
- First secure PKCS#11 configuration that does not break the API **compliance**
- Implementation in a **real Cloud HSM solution**
- Formal model and automated **proof of security**

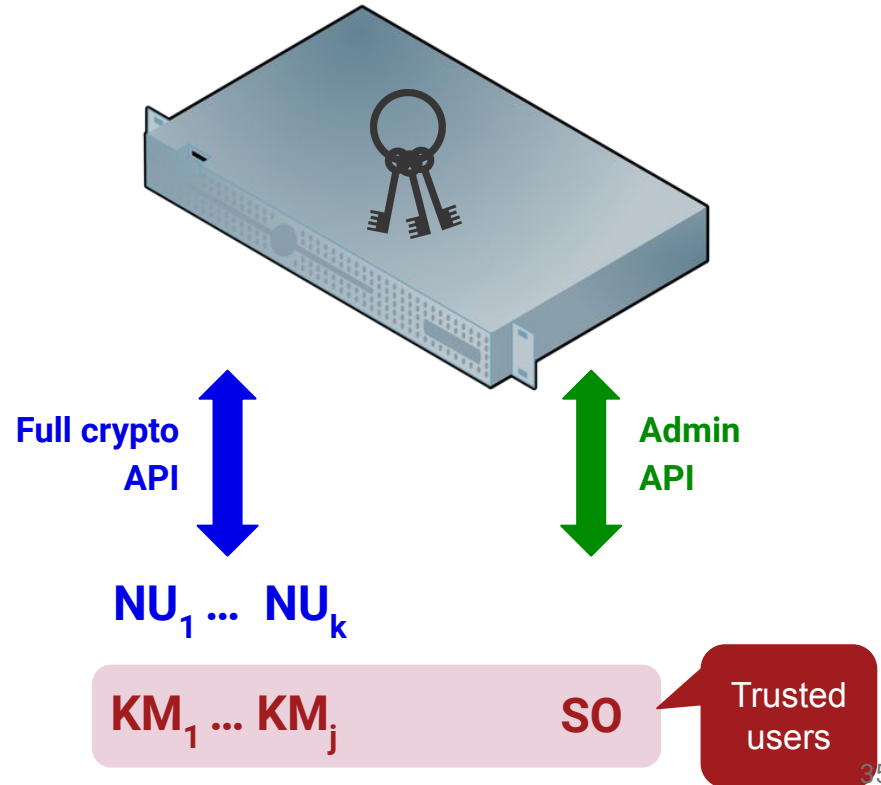
User roles

Normal Users (NU): used in production applications, full API but no attack should be possible

Key Managers (KM): create and manage candidate **trusted** keys

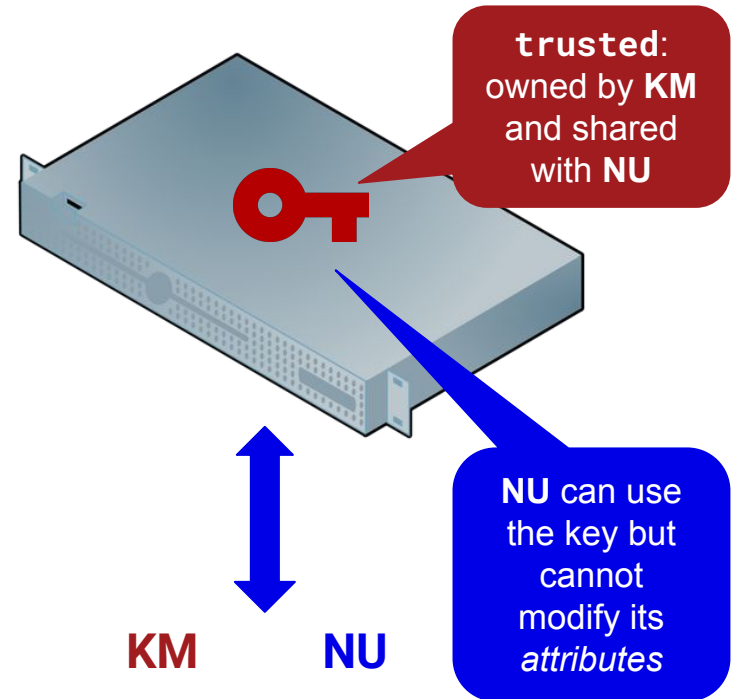
Security Officer (SO): admin, cannot do crypto but marks **trusted** keys

- KMs and SO only accessed by management apps or humans



Key sharing

1. **KMs** generate (candidate) **trusted** wrapping keys
 2. **KMs share** these keys with **NUs**
 3. **NUs** can use wrapping keys but **cannot** modify their *attributes*, e.g., cannot mark them as **decrypt** keys
- **Key sharing** is not in PKCS#11 but can be added on top, at the cloud/admin layer



Secure configuration

Rule 1 (Sensitive keys). Sensitive keys should be generated with `wrap_with_trusted` set or `extractable` unset (i.e. will never be wrapped).

Rule 2 (Trusted keys). The SO sets the `trusted` attribute only on candidate keys generated by one of the KMs.

Rule 3 (Roles of candidate keys). Candidate keys managed by the KMs should only admit wrap and unwrap operations, during their lifetime.

Rule 4 (Management of candidate keys). Candidate keys managed by the KMs should be generated with `extractable` unset (i.e. will never be wrapped)

Rule 5 (Freshness of candidate keys). Candidate keys managed by the KMs should be freshly generated in the device.

Implementation in real cloud HSMs

AWS CloudHSM implements the required **key sharing** capability:
*“Users who share the key can use the key in cryptographic operations, but they **cannot change its attributes**”*

- The secure configuration can be implemented straightforwardly

Note: we assume a worst-case scenario in which all keys are shared

Other cloud solutions:

- do not have publicly available documentation (e.g. Utimaco, Microsoft)
- do not implement PKCS#11, yet? (e.g. Google)
- do not seem to implement key sharing in the form we need (e.g. IBM)

Formal analysis

We formalize a significant subset of PKCS#11 in the Tamarin prover:

- Symmetric crypto and wrap
- `wrap_with_trusted` and `trusted` attributes
- User roles + key sharing

We automatically prove security for an **unbounded** number of users, keys and sessions

rule Wrap:

```
[ !NU(U),  
  !Key(U1, ha1, k1),  
  !Key(U2, ha2, k2) ]
```

```
--[
```

```
  Wrap(U, ha1, ha2),  
  IsSet(ha1, 'wrap_with_trusted'),  
  IsSet(ha1, 'extractable'),  
  IsSet(ha2, 'trusted'),  
  IsSet(ha2, 'wrap') ] ->
```

```
[ Out(senc(k1, k2)) ]
```

Normal User U

Keys k1, k2 owned by U1, U2 (ha1, ha2 are *handles*)

U wraps ha1 with ha2, i.e., k1 with k2

Appropriate attributes

ciphertext is sent out (**simplified**, see the paper for detail!)

Automated proof

Keys which, at some point, are marked as **trusted** are never leaked

lemma SecrecyTrusted:

"

All W ha k #i #j #w.

IsHandle(ha,k)@i &

SetAttr(W,ha,'trusted')@j &

KU(k)@w

==> F

"

ha is a handle
for key k at
time i

and ha has
trusted set
at time j

implies false,
i.e., it cannot
occur

and the
attacker
knows k at
time w

Similar lemmas for sensitive keys generated with **wrap_with_trusted** set or **extractable** unset (cf. Rule 1)

Complete model with additional helper and sanity lemmas available at github.com/secgroup/CloudHSM-model

The complete model can be proved automatically in about **1m30s** on a MacBook Pro 2018